

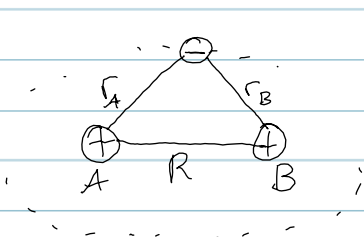
Vorlesung 13.12.2013

Nachtrag zu gestern: Copernicium \rightarrow ~~Em~~Cn!

| OZ | Chem. Symbol | $\tau_{1/2}$ |
|-----|--------------|--------------|
| 107 | Bh | 17s |
| 108 | Hs | 25s |
| 109 | Mt | 42ms |
| 110 | Ds | 56ms |
| 111 | Rg | 6,4ms |
| 112 | Cn | 0,6ms |

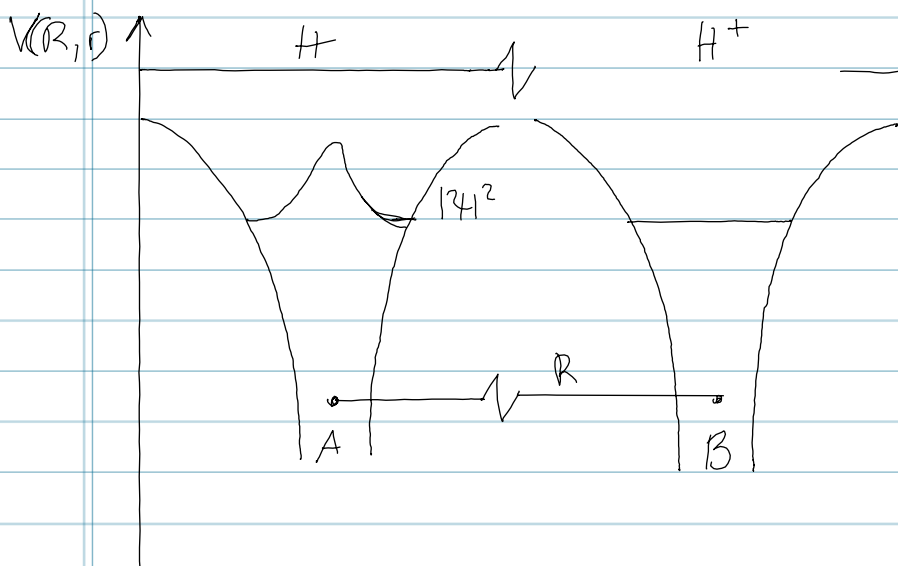
6 Moleküle und chemische Bindung

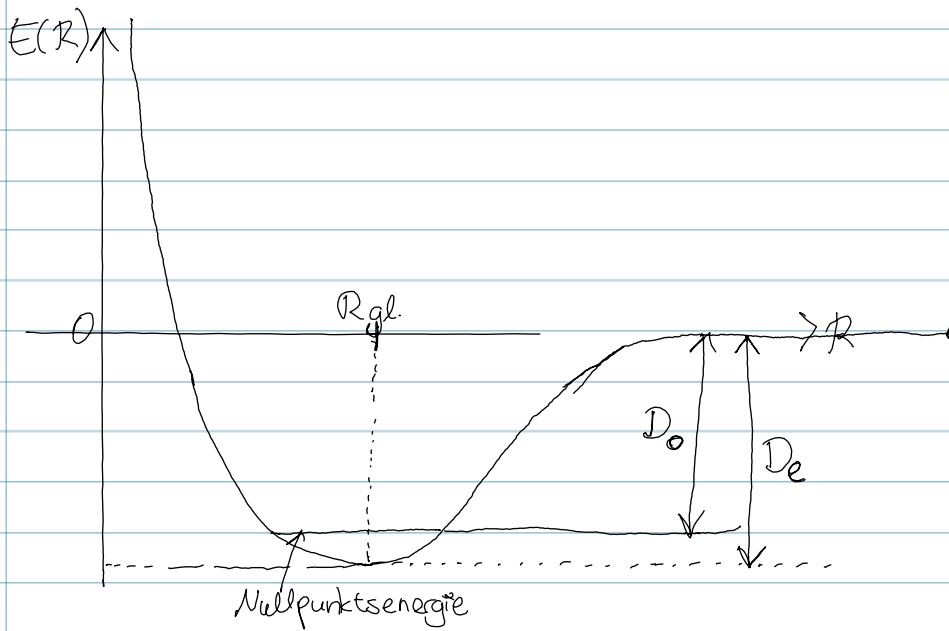
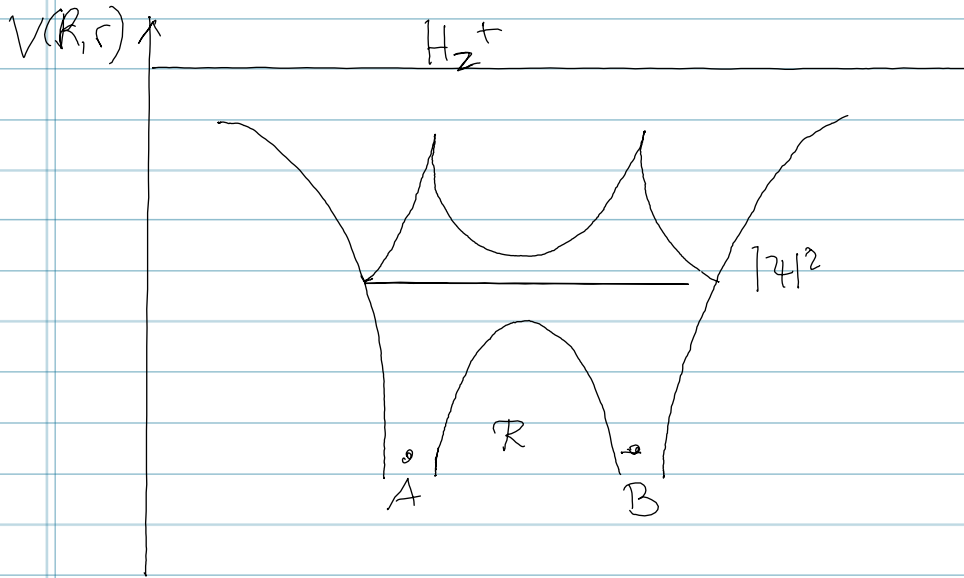
Wasserstoffmolekül-Ion H_2^+



$R = 1,06 \text{ \AA}$
 Bindungsenergie: 2,79eV

Pot. Energie: $V(R, r) = -\frac{e^2}{r_A} - \frac{e^2}{r_B} + \frac{e^2}{R}$

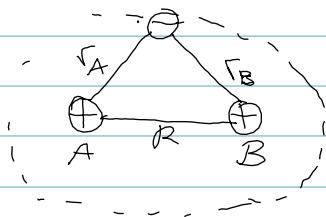




2-atom. Molekül

$R \approx 1-2 \text{ \AA}$

$D_0 \approx 3-5 \text{ eV}$



Hamilton-Op

$$\hat{H} = -\frac{\hbar^2}{2M_A} \nabla_A^2 - \frac{\hbar^2}{2M_B} \nabla_B^2 - \frac{\hbar^2}{2m_e} \nabla^2 - \frac{e^2}{r_A} - \frac{e^2}{r_B} + \frac{e^2}{R}$$

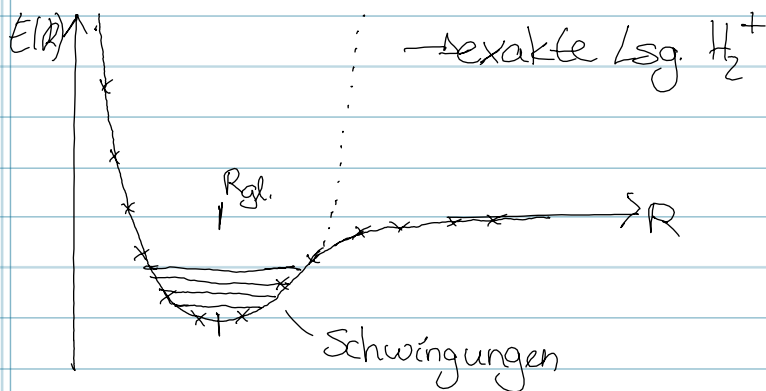
Dreikörperproblem

Born-Oppenheimer-Näherung:

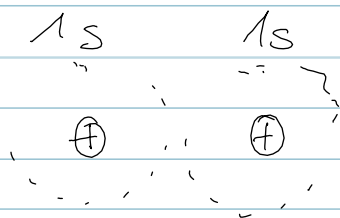
Bewegungen der Kerne (Schwingungen) können von den Bewegungen der Elektronen separiert werden, d.h. $E(R)$ lässt sich jeweils für einen festen Kernabstand R berechnen.

$$\hat{H} = -\frac{\hbar^2}{2m_e} \nabla^2 - \frac{e^2}{r_A} - \frac{e^2}{r_B} + \frac{e^2}{R}$$

$$\hat{H} \psi(R, r) = E(R) \psi(R, r)$$



Näherungslsg! MO-Theorie
Linearkombi von Atomorb. (LCAO)



$$\text{LCAO: } \psi = c_A \psi_A + c_B \psi_B$$

$\psi_A, \psi_B = \text{norm. WF H-Atom}$
 $c_A, c_B = \text{Konstanten}$

$$|c_A|^2 = |c_B|^2 = |c|^2$$

$$c_A = c_B$$

$$c_A = -c_B$$

$$\psi = c (\psi_A \pm \psi_B)$$

$$|\psi_A + \psi_B|^2 = |\psi_A|^2 + |\psi_B|^2 + \underbrace{2\psi_A\psi_B}_{\text{Erhöhung der } e^- \text{-Dichte zw. den Kernen}}$$

$$|\psi_A - \psi_B|^2 = |\psi_A|^2 + |\psi_B|^2 - \underbrace{2\psi_A\psi_B}_{\text{Erniedrigung der } e^- \text{-Dichte zw. den Kernen}}$$